

Oxford  
September 2009

Seeking Evidence  
for the Multiverse  
in Particle Physics

Lawrence Hall  
University of California, Berkeley

# Two Types of Evidence

Theories

Mathematical  
construct  
+  
physical  
interpretation

Lots of assumptions!  
Can't look inside the box!



Evidence

I) Quantitative

$$m_e = 0.51099 \text{ MeV}$$

II) Structural

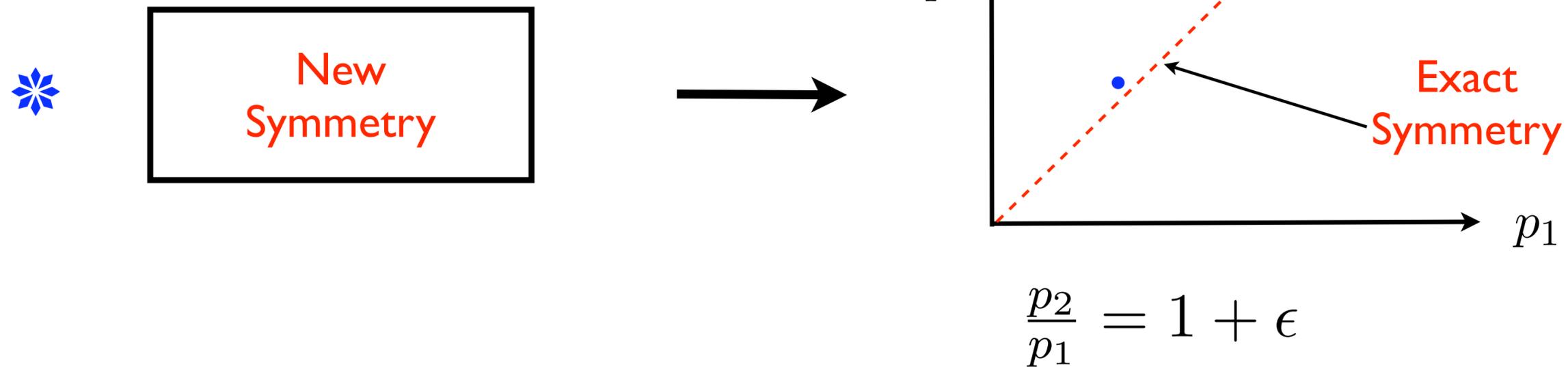
Why three gauge forces?

Judge theories by evaluating  
these two types of prediction

# Quantitative Evidence

\* Standard Model:  $p_1, p_2, \dots$

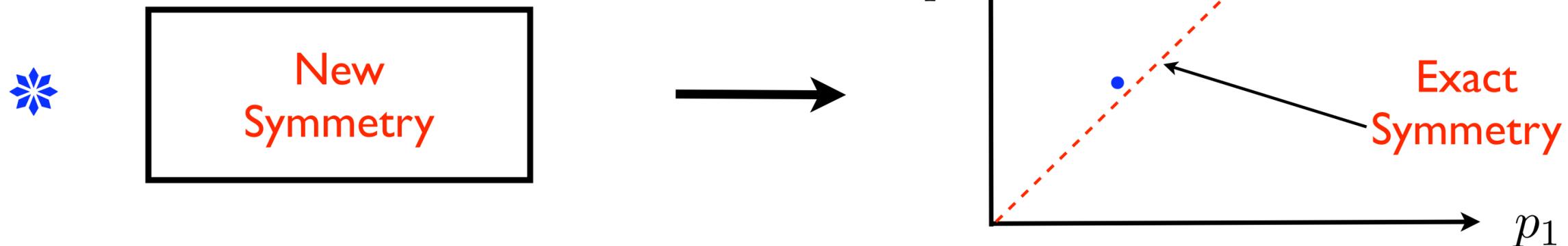
\* Invent theory to relate the free parameters



# Quantitative Evidence

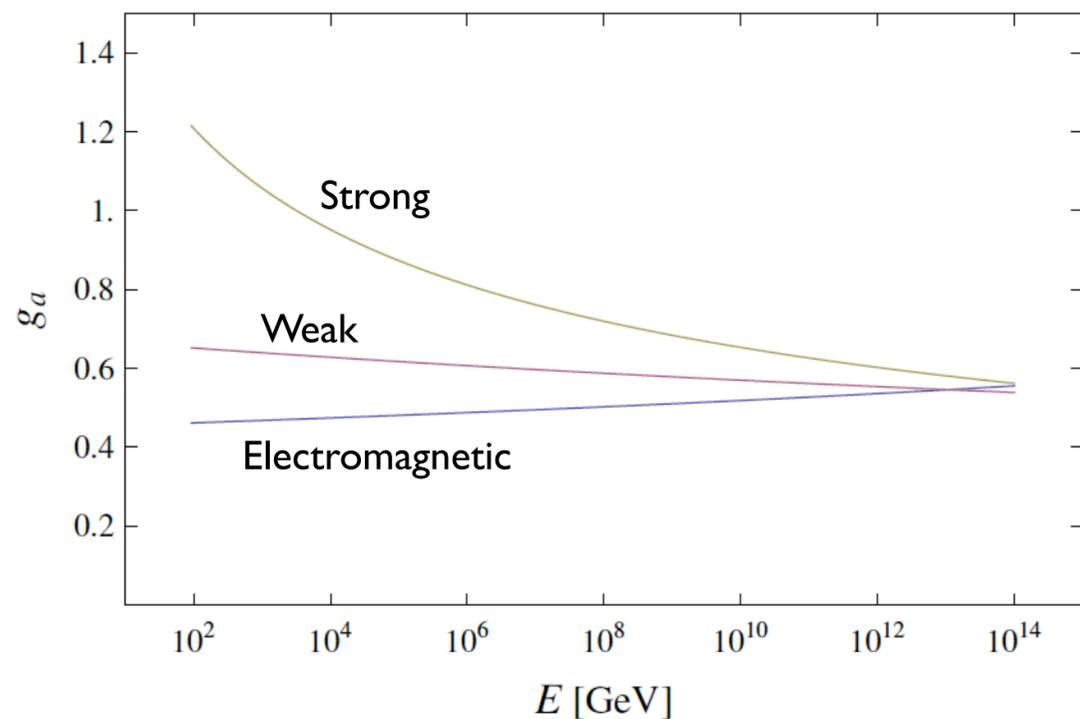
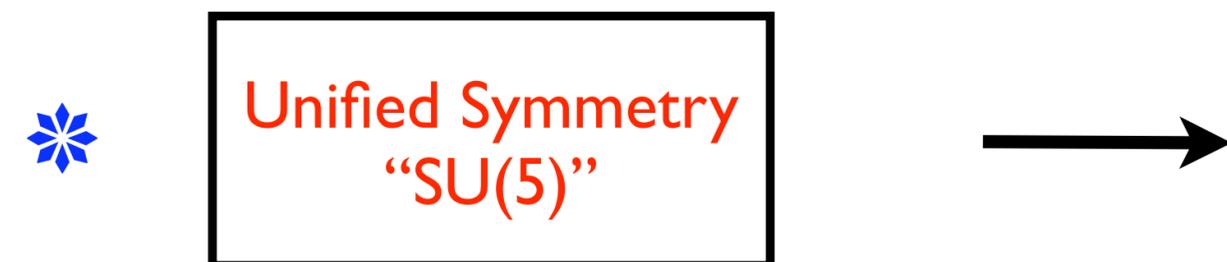
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$$\frac{p_2}{p_1} = 1 + \epsilon$$

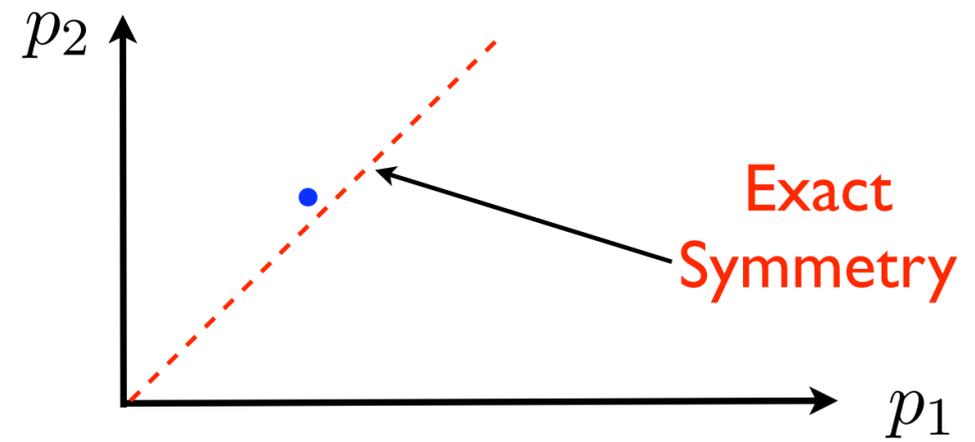
eg



# or More Universes?



New  
Symmetry

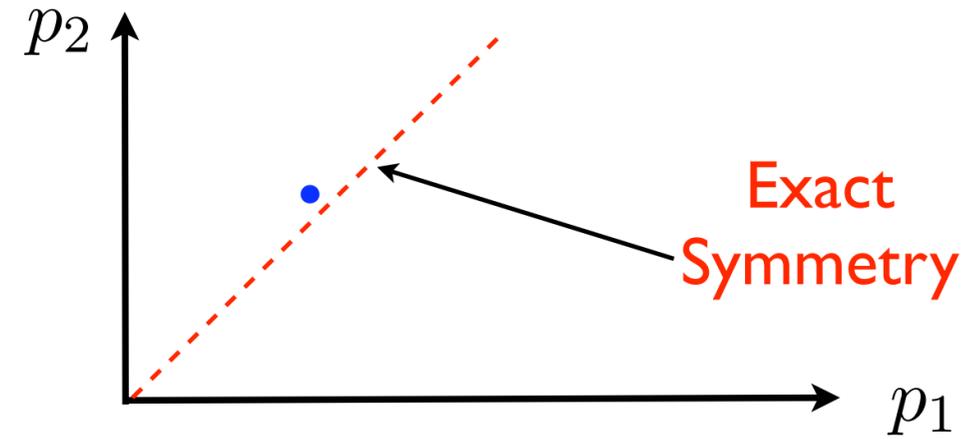


Assumptions: Symmetry,  
Symmetry breaking

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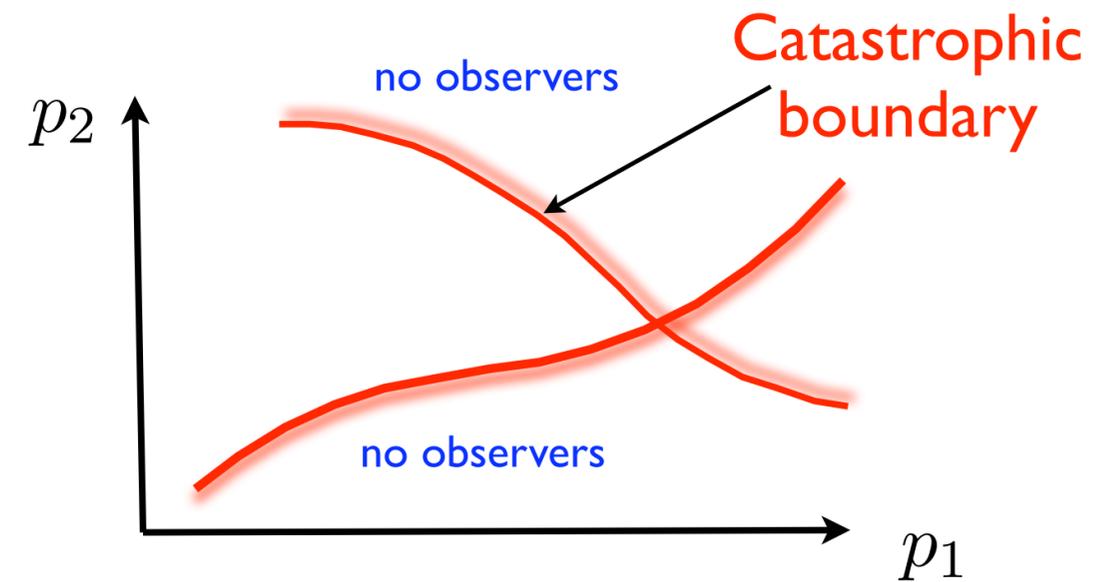
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Multiverse

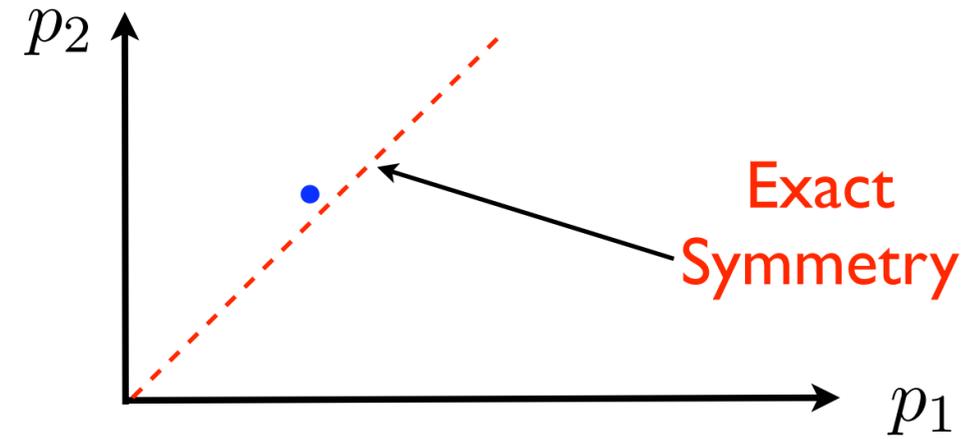


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Distribution  $f$

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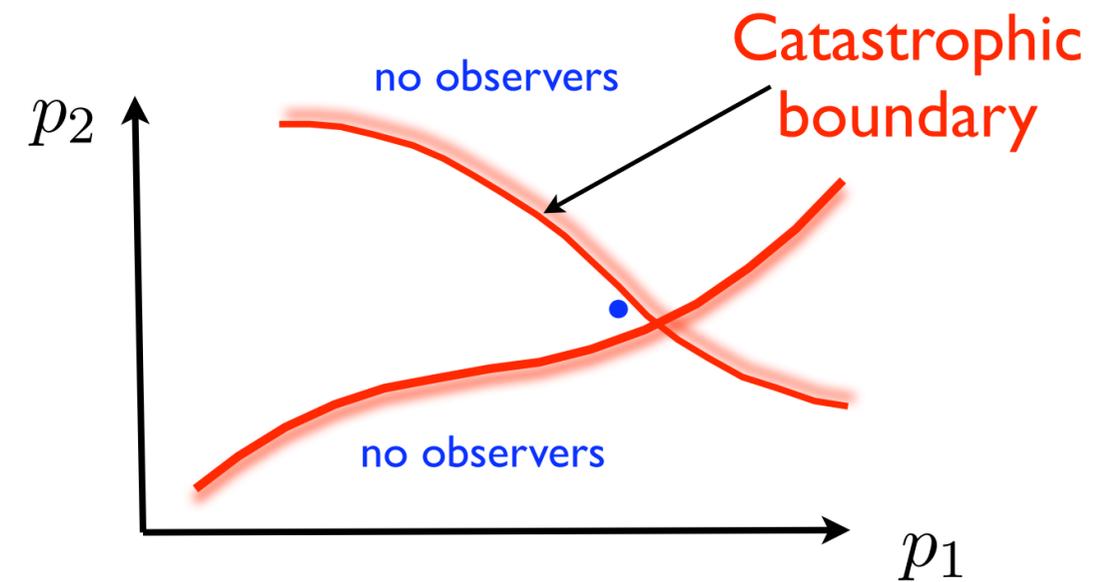
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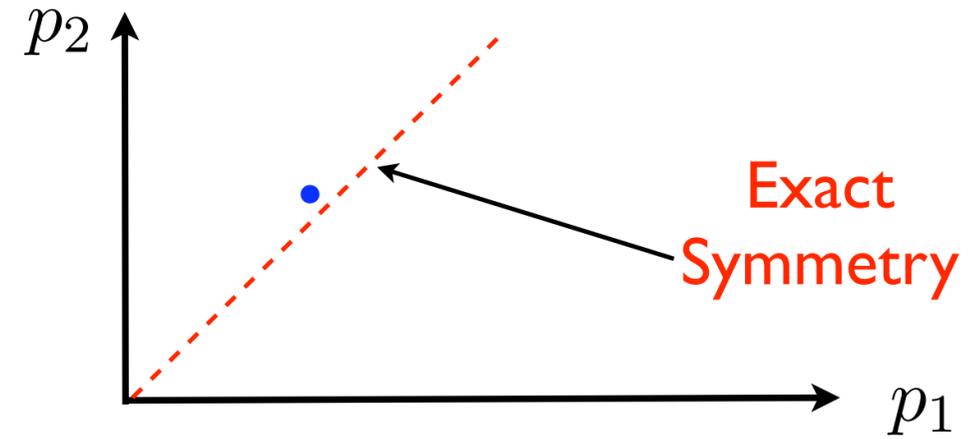


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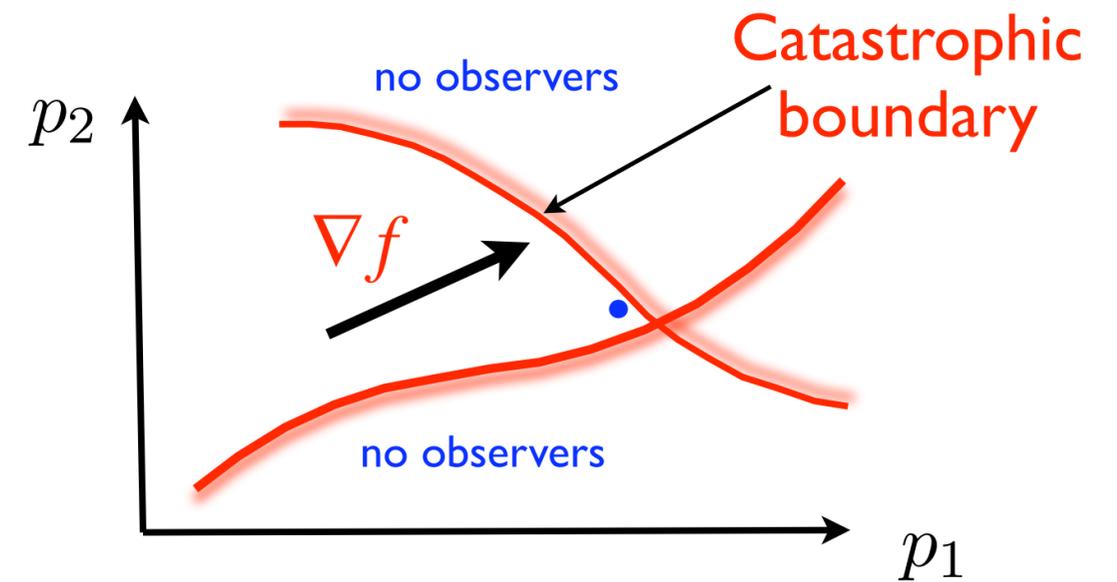
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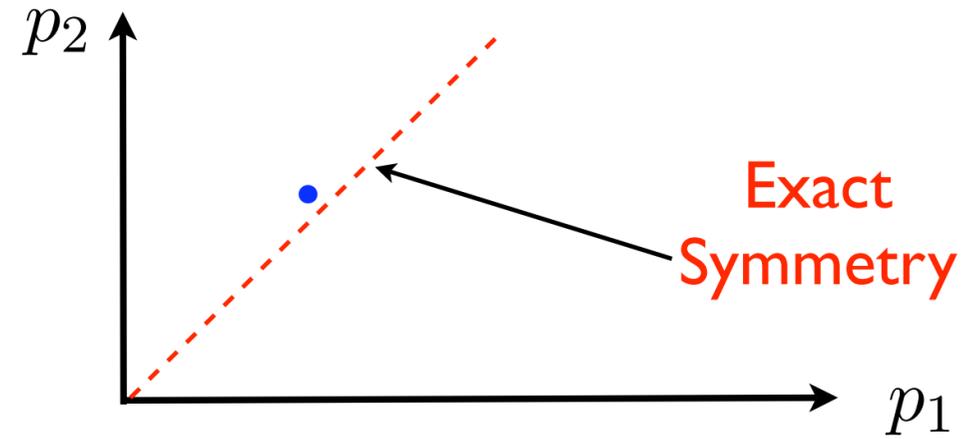


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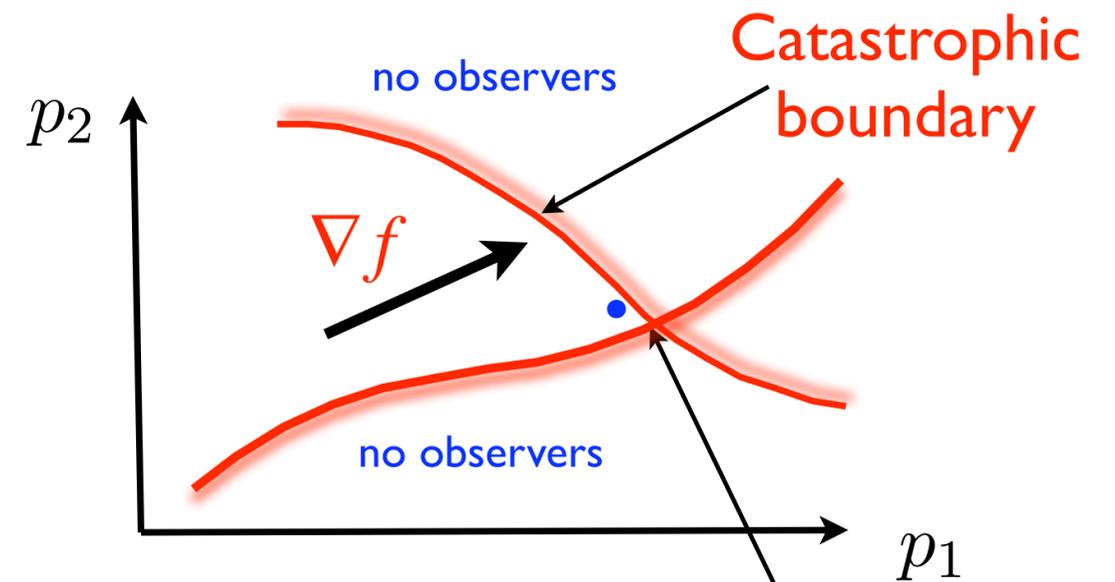
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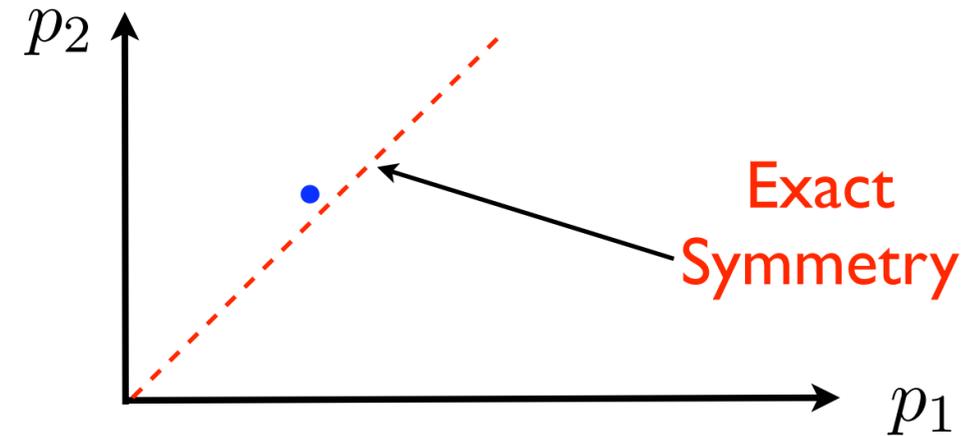
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Tip  
of the  
Cone

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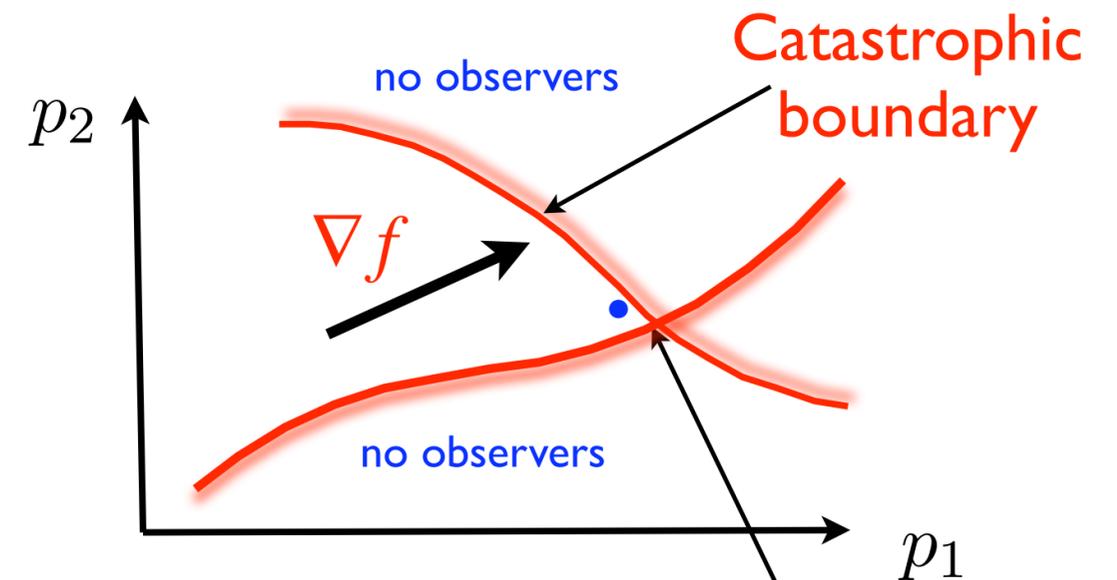
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Multiverse



Assumptions: Catastrophic boundary  
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Program:

1. Identify possible catastrophies
2. Compute boundaries
3. Evaluate closeness to boundaries  
(fine-tuning)

Tip  
of the  
Cone

# Structural Evidence

## Phenomena:

1.  $F_{Coul} \propto \frac{1}{r^2}$  ...
2. Hadron spectrum, ...
3. Short range of weak interactions, ...
4.  $Q(3,2,1/6), L(1,2,-1/2), \dots$
5. Mass hierarchy  $M_W \ll M_{Pl}$

Puzzling array of phenomena

## Theory

QED

QCD

Higgs boson

Unified theory, SU(5)

Weak scale supersymmetry

Order and simplicity

# Quantitative Evidence

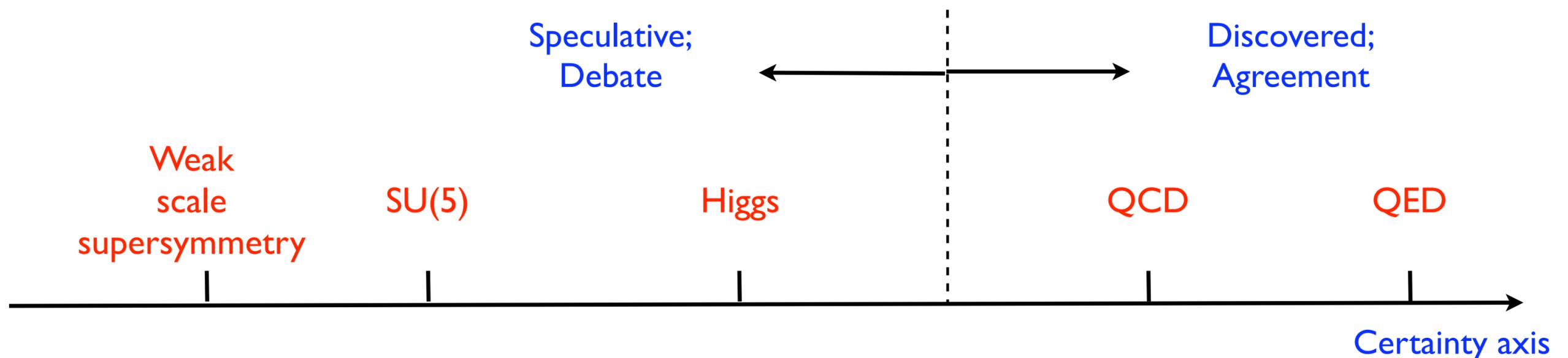
## Theory

1. QED
2. QCD
3. Higgs boson
4. Unified theory, SU(5)
5. Weak scale supersymmetry

## Predicts

- $g-2 = 1159.6521\dots$
- several at 5%
- ?? (problems with alternatives)
- coupling unification at 5%
- coupling unification at 1%

Order and simplicity



# The Structural Problem of the Standard Model

- ✿ Why is the weak scale so small  $M_W \ll M_{Pl}$  ?
- ✿ Must arrange for 32 orders of magnitude cancellation

$$M_W^2 = M_1^2 - M_2^2$$

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✿ Three known solutions:

1. Elementary Higgs boson does not exist

2. Supersymmetry is at the weak scale

3. The weak scale varies in the multiverse

Agrawal, Barr, Donoghue, Seckel hep-ph/9707380

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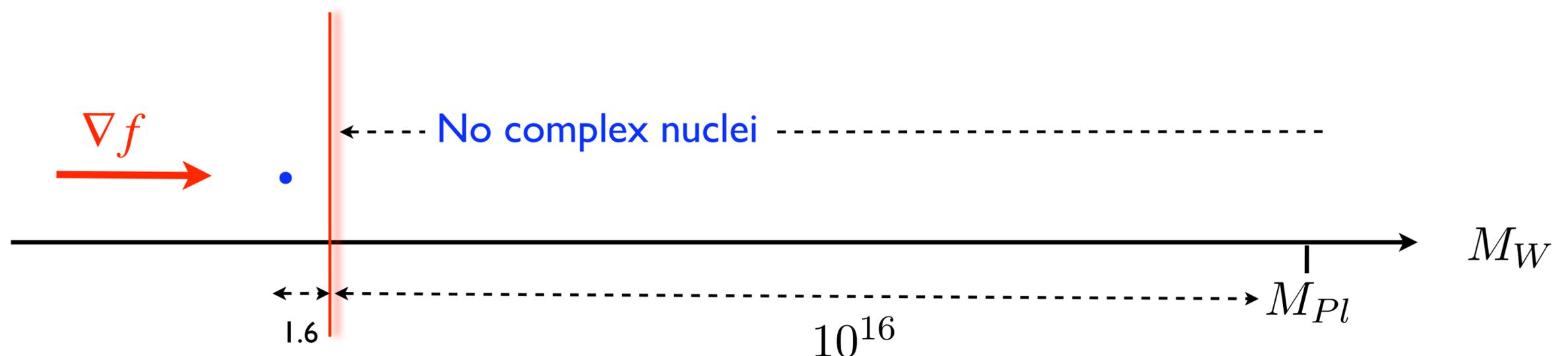
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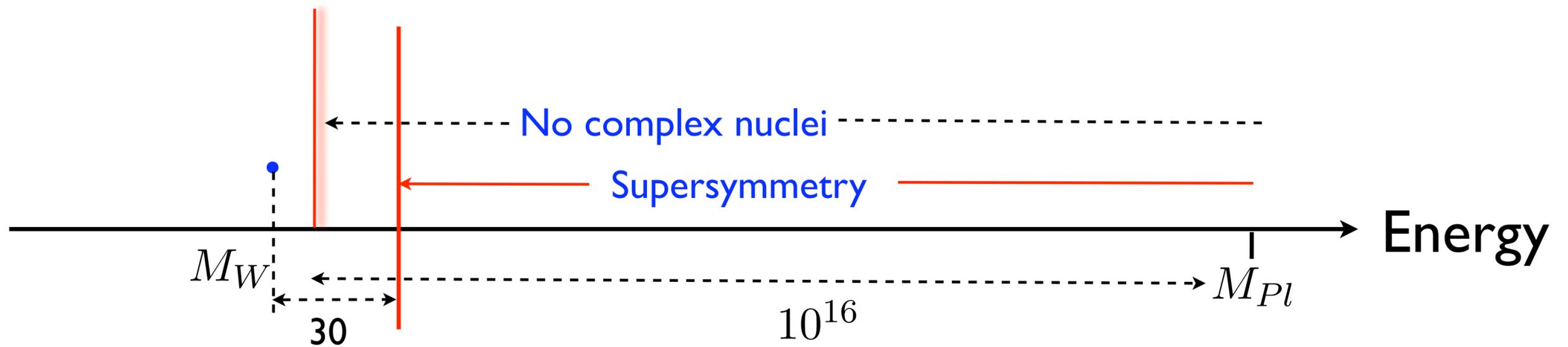
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# Can We Really Get Evidence For For $10^{32}$ Fine Tune?

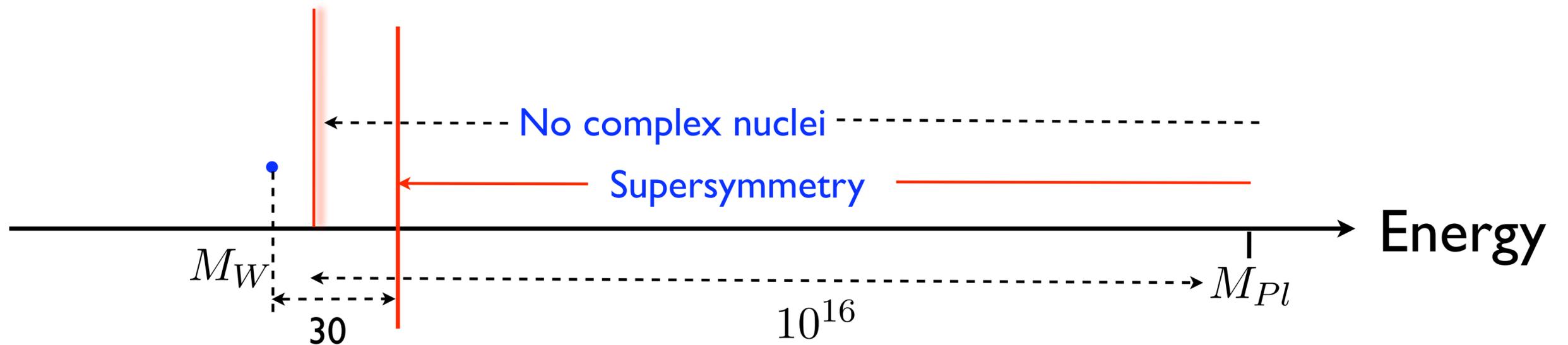


Even with supersymmetry beyond the reach of LHC,  
the fine tuning may be “only” 1 in 1000

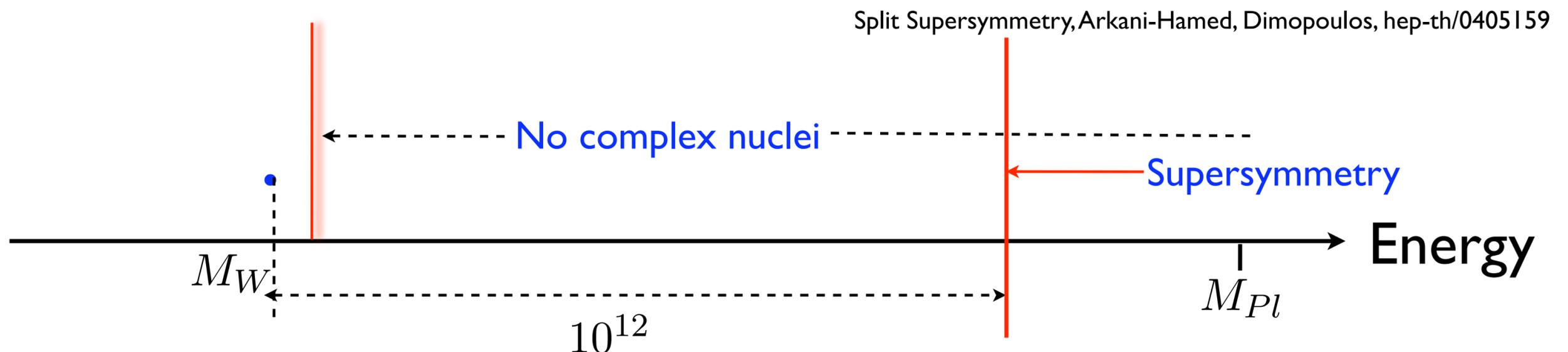


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- ✿ Even with supersymmetry beyond the reach of LHC, the fine tuning may be “only” 1 in 1000



- ✿ It may be that the measured mass and couplings of the Higgs accurately reflect a boundary condition from supersymmetry at very high scales



# *A Catastrophic Phase Transition*

Brian Feldstein, LJH, Taizan Watari;  
hep-ph/0608121



Assume Higgs and top quark masses vary in multiverse  
Standard Model correct to very high energies

# A Catastrophic Phase Transition

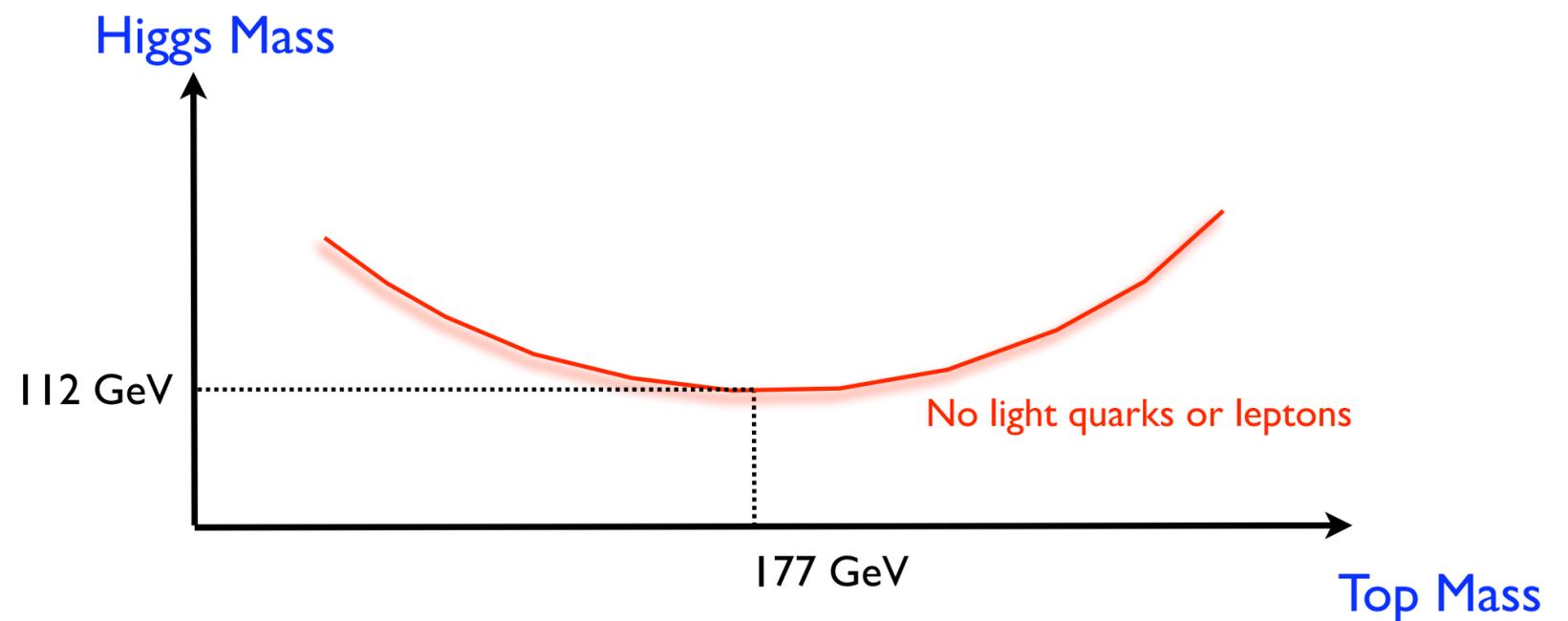
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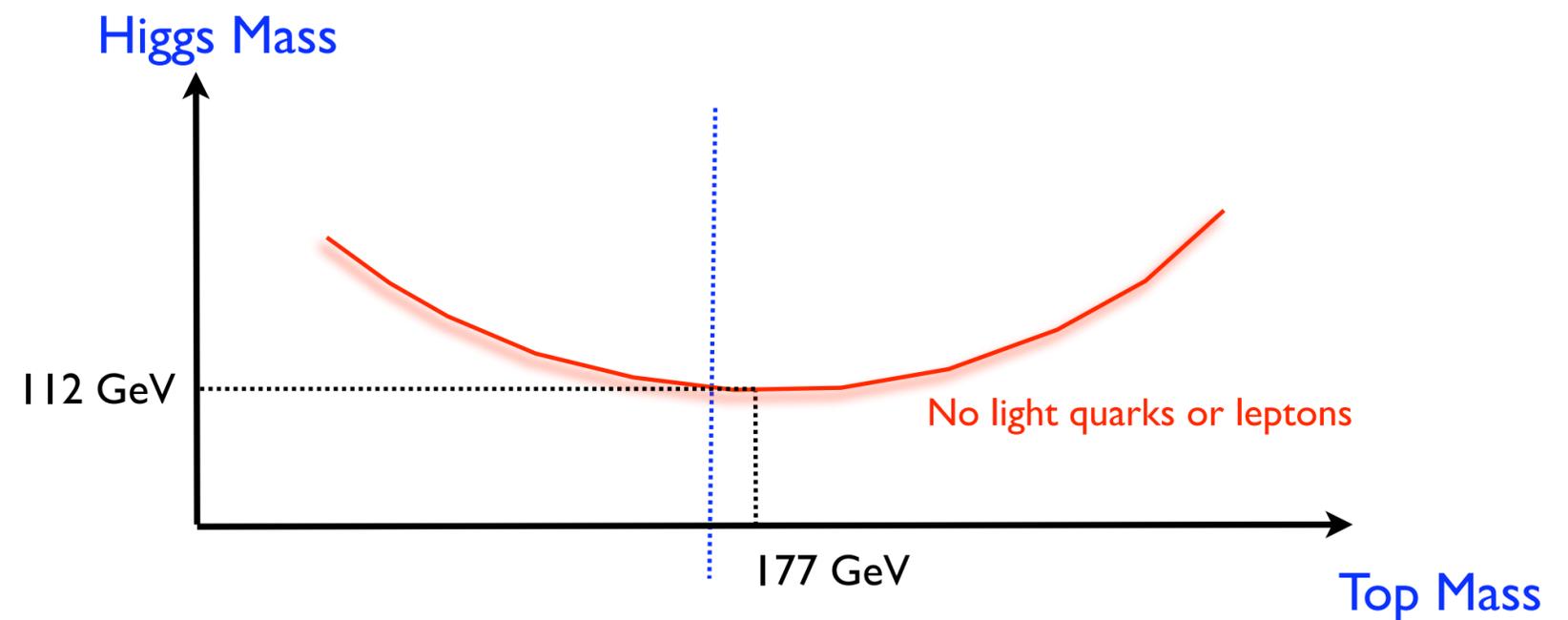
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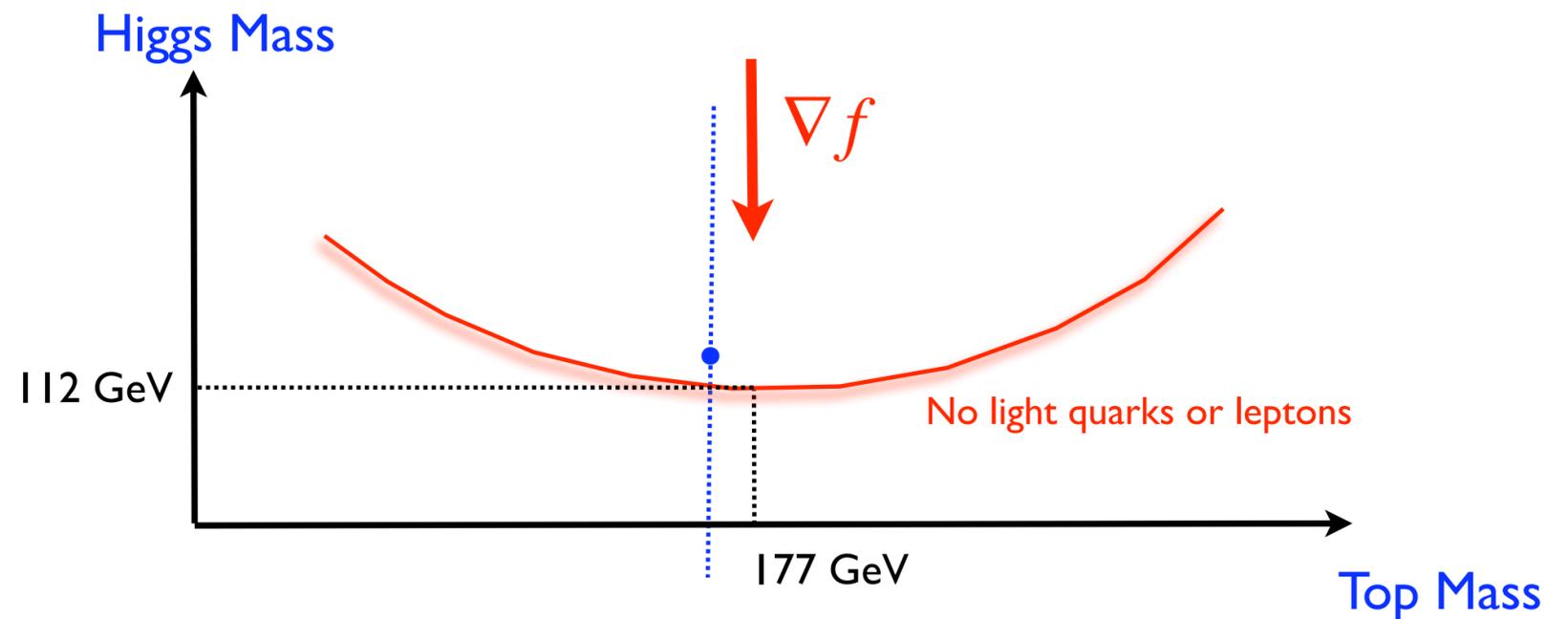
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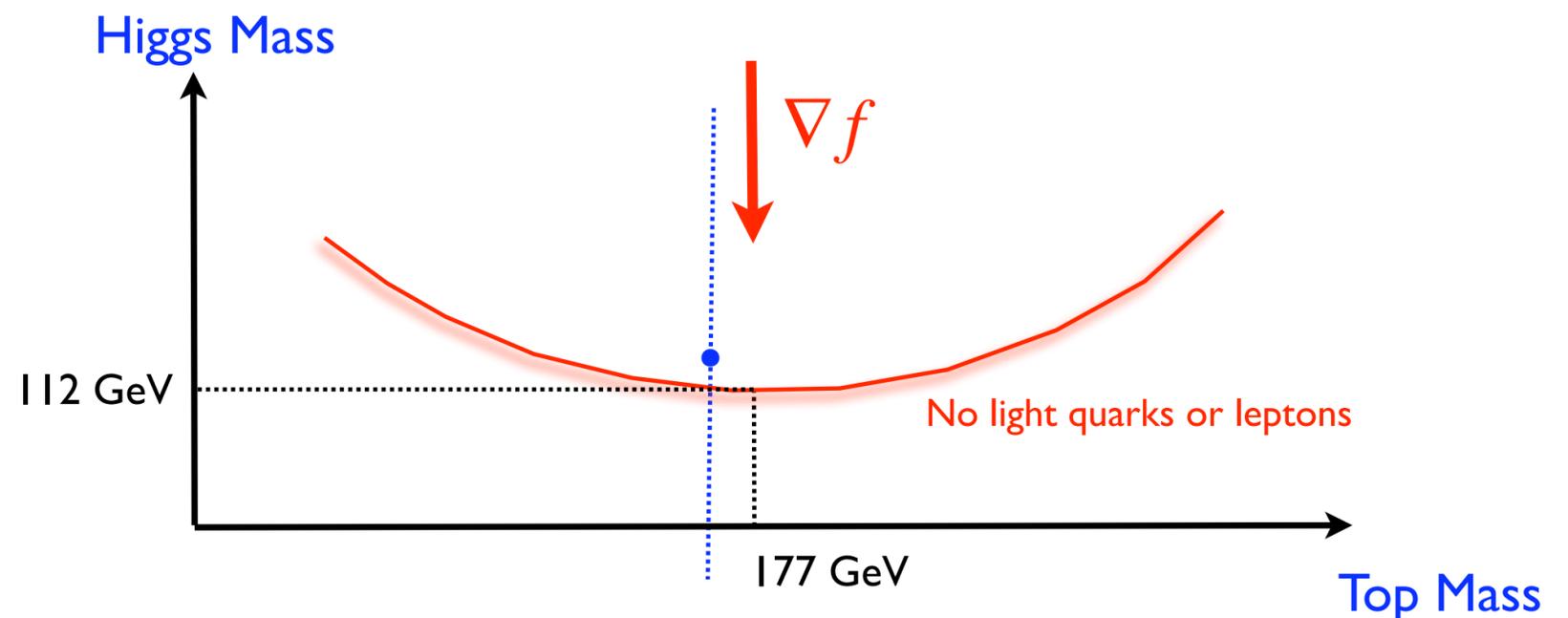


# A Catastrophic Phase Transition

Brian Feldstein, LJH, Taizan Watari;  
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- ✿ Assume Higgs and top quark masses vary in multiverse  
Standard Model correct to very high energies

- ✿ There is a phase boundary



- ✿ If Higgs discovered close to boundary:

- ✿ A quantitative prediction of Higgs/top masses at 5% level

- ✿ Evidence that multiverse solved structural fine tuning problem

(The other two known solutions are excluded)

# Symmetries v Multiverse

	SU(5)	Multiverse
Huge extrapolation	Energy	Distance
Features that will never be tested	$pp \rightarrow XX$	$\alpha', m'_e, \dots$
Structural evidence	$q(3, 2, 1/6), \dots$	$M_W \ll M_{Pl}$
Primary quantitative evidence	$g_1 = g_2 = g_3$	$M_W (\Lambda)$
Further quantitative evidence	$m_b/m_\tau$	$m_H \quad ??$
New experiments needed	proton decay, ?? weak scale supersymmetry ??	precision $m_t, g_3$

# Conclusions

Criticisms of the multiverse:

## I. Many aspects of the theory cannot be tested

True

The same is true for SU(5), inflation, baryogenesis, axions, quark masses, ...

For any new theory the question is the same:  
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## 2. A Retreat/Disappointment

No “fundamental” calculation of  $\alpha, m_e, \dots$

True if by “fundamental” you mean “symmetries” ... but little success in 35 years

Multiverse offers an alternative way to calculate

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Multiverse offers an alternative way to calculate



An exciting advance!

Shouldn't we give it a try?

# Higgs and Top Mass Predictions

$$m_H = \left[ 106 + 6 \left( \frac{m_t - 171 \text{ GeV}}{2 \text{ GeV}} \right) - 2.6 \left( \frac{\alpha_s - 0.1176}{0.002} \right) \pm 6 \right] \text{ GeV} + \frac{25 \text{ GeV}}{p}$$

2 loop  
running

Top and QCD  
contributions to running

running to  
pole

$$m_t = \left[ 176.7 + 2.2 \log_{10} \left( \frac{\Lambda_{SM}}{10^{18} \text{ GeV}} \right) \pm 3 \right] \text{ GeV} - \frac{35 \text{ GeV}}{\sqrt{p}}$$

relatively  
insensitive to  
SM cutoff

$p$  sufficiently large for a tight  
Higgs mass prediction

What is the future of the field?

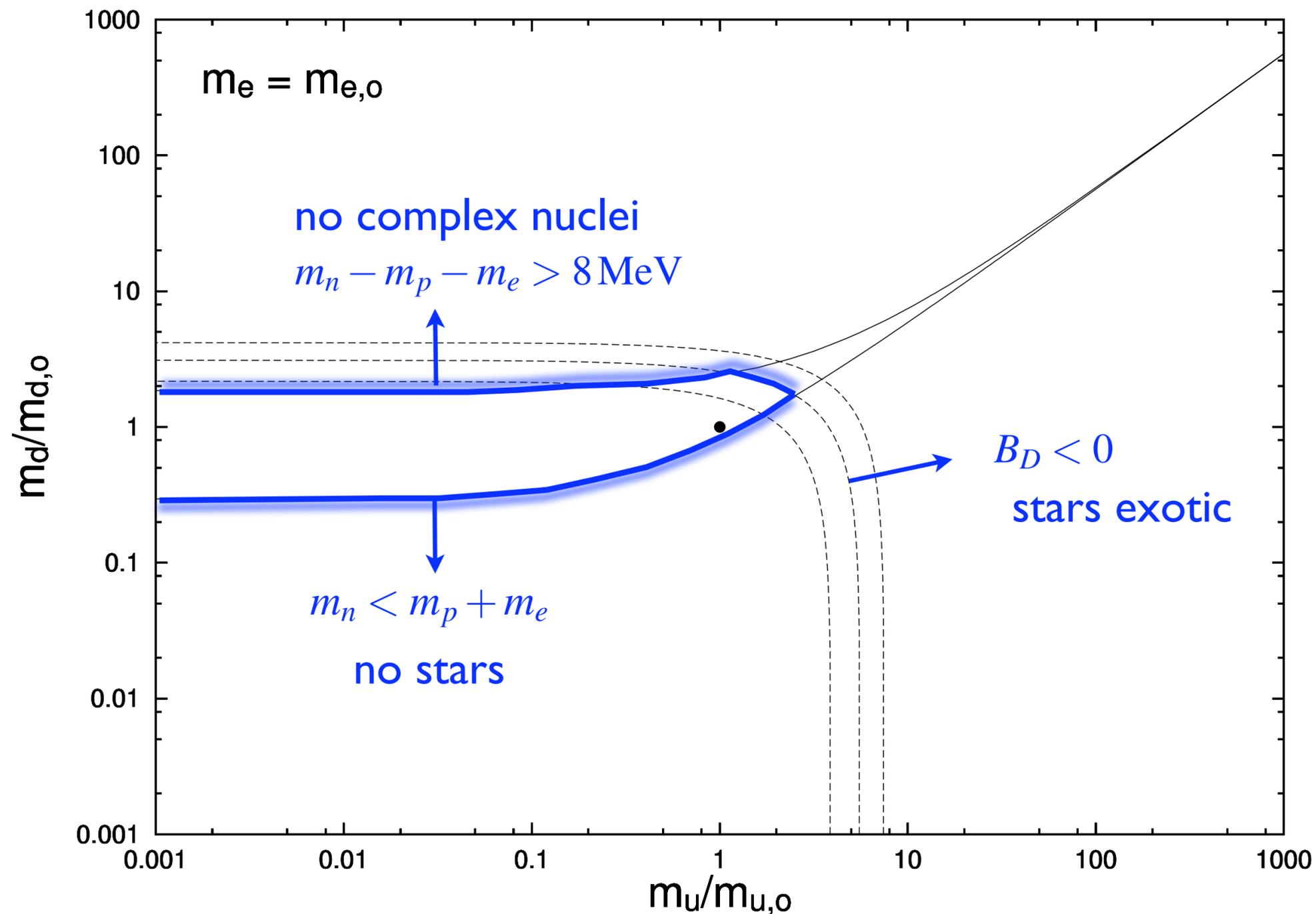
# Nuclear Boundaries

Relevant parameters

$$\left( \alpha, \frac{m_e}{m_p}, \frac{m_u}{m_p}, \frac{m_d}{m_p} \right)$$

Yasunori Nomura,  
LJH  
arXiv:0712.2454

2d slice



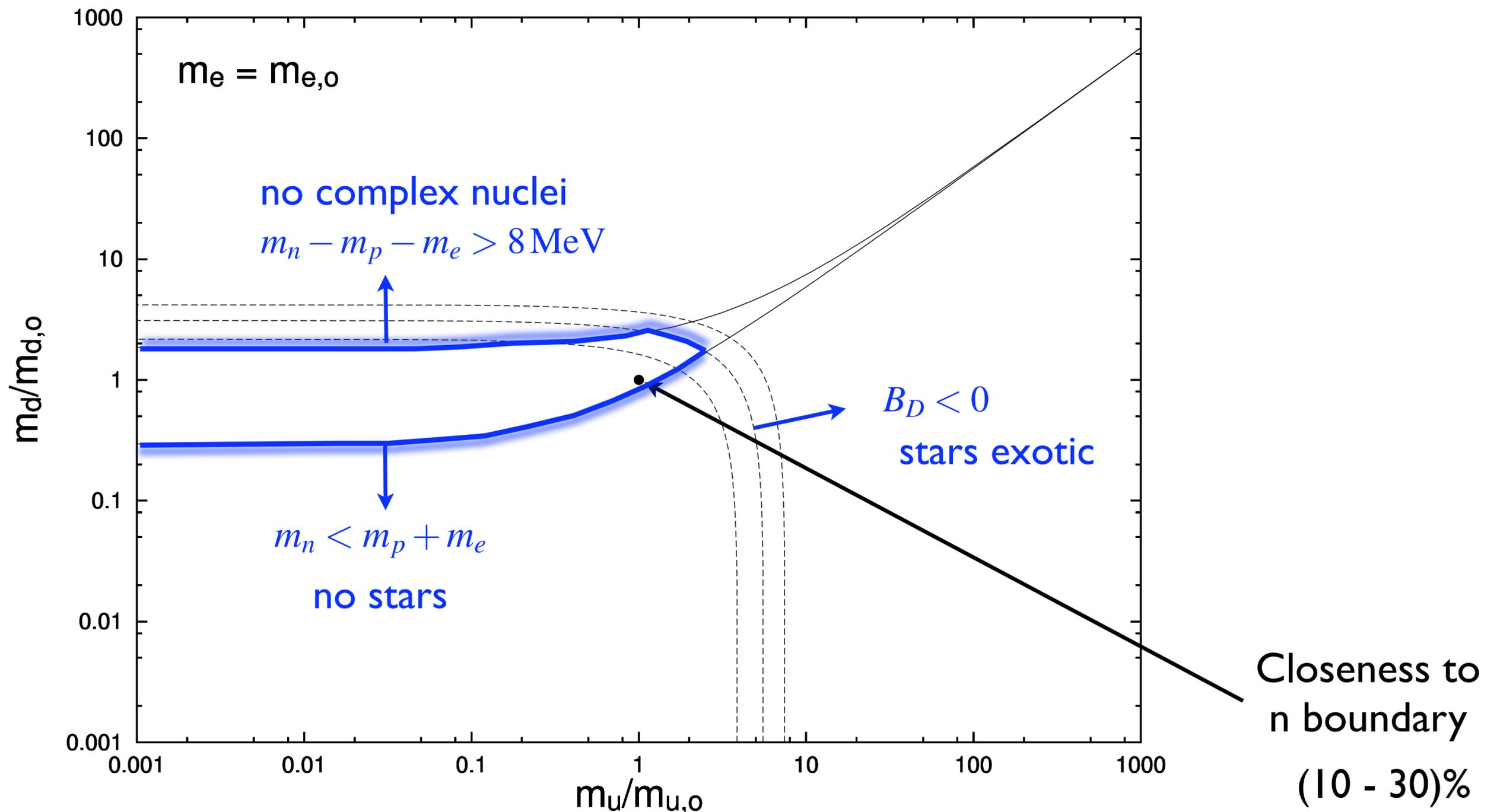
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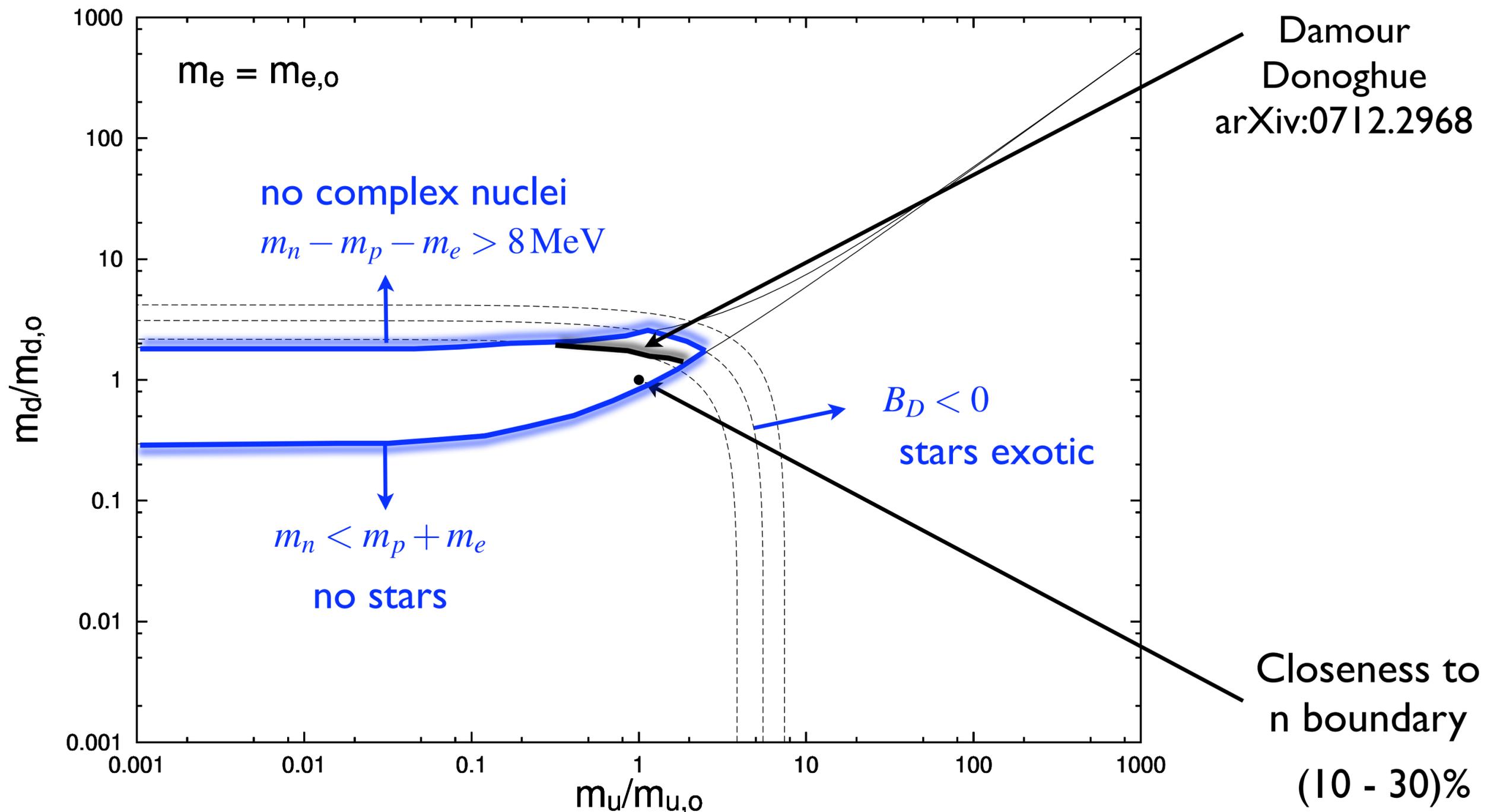
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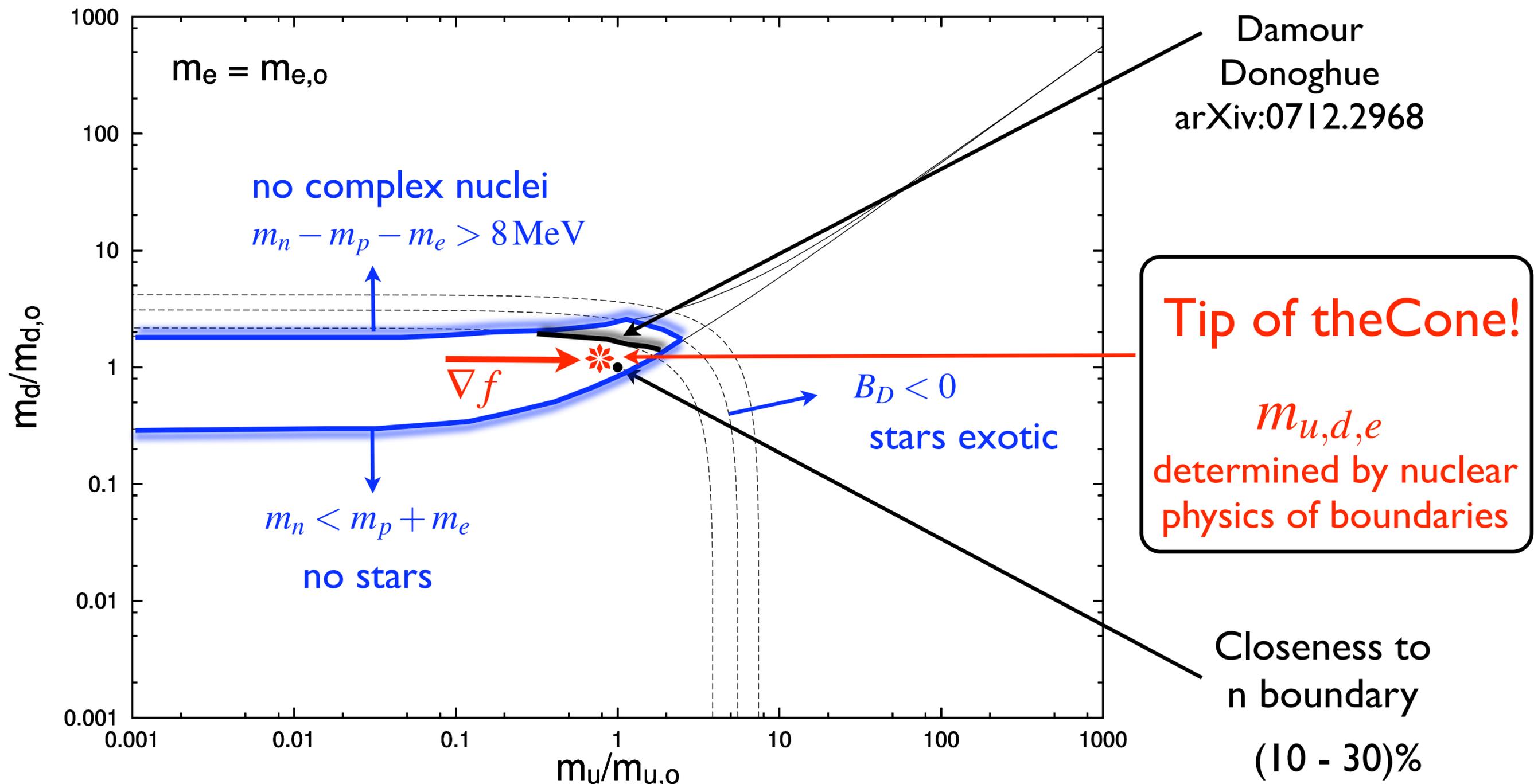
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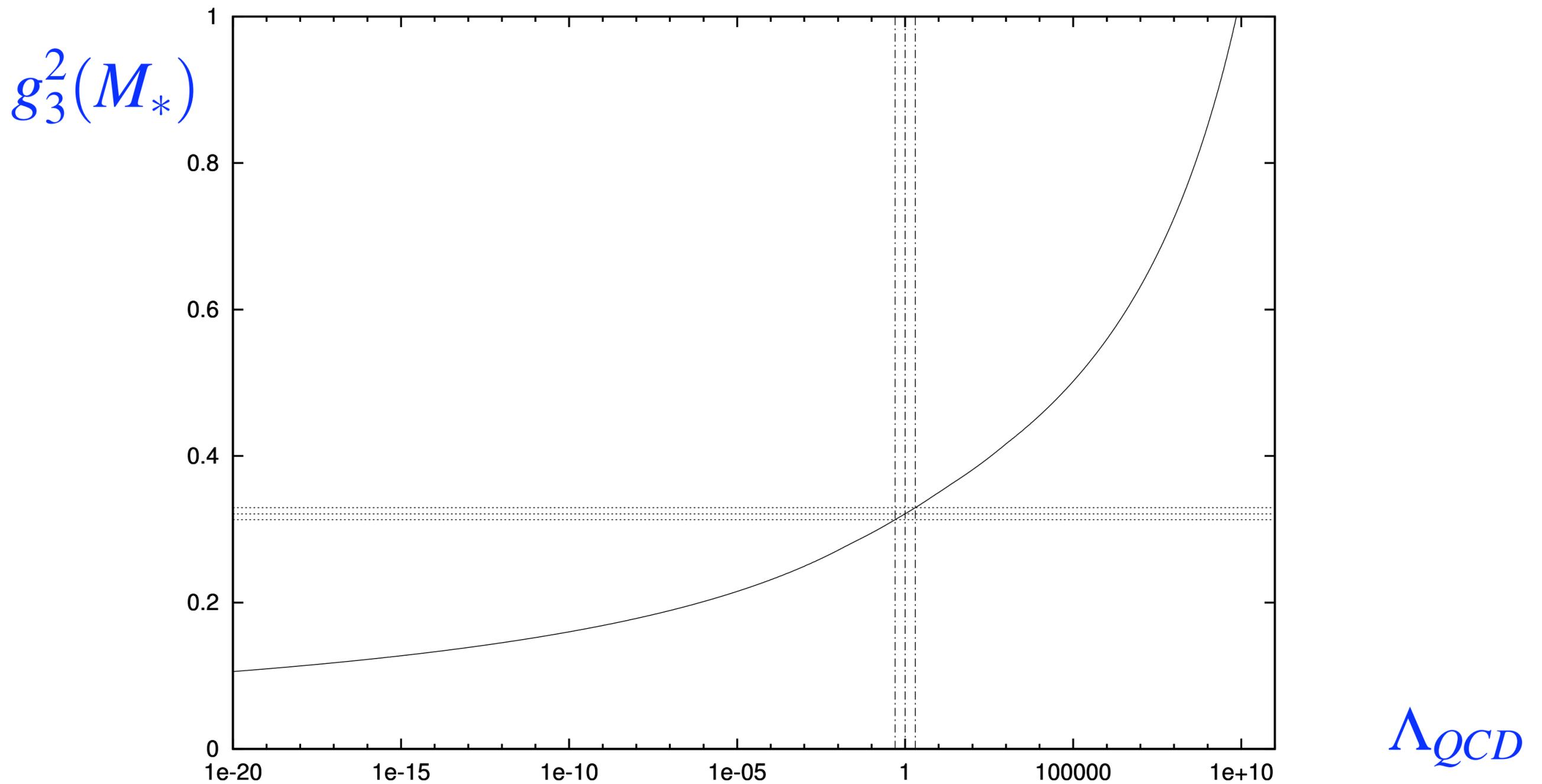
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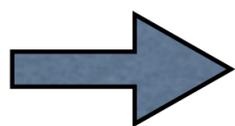


Even with Symmetries that

precisely predict  $y_{u,d,e}$  and  $\nu$



flat  $f(g_3^2)$

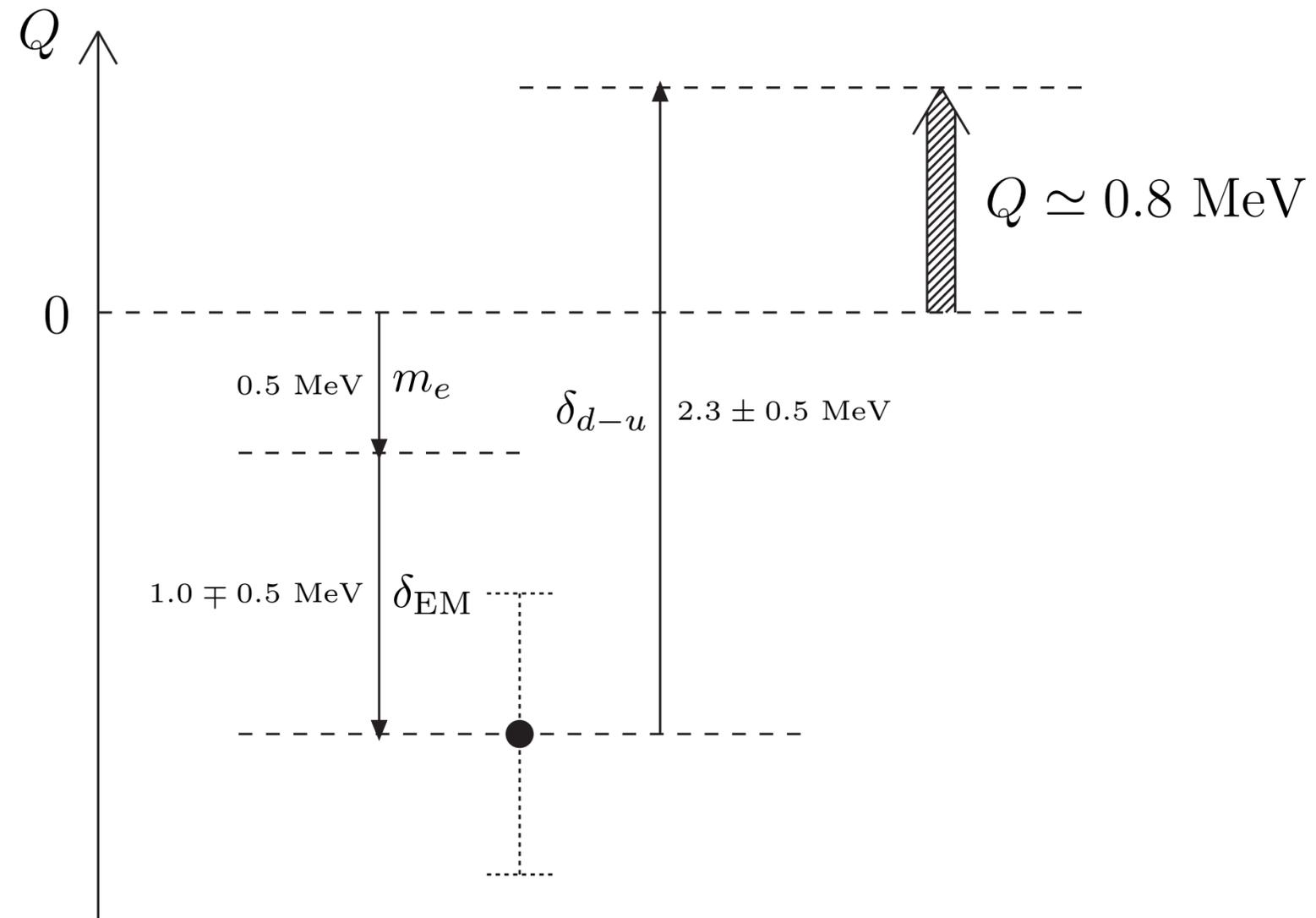


$$P_{\Lambda_{QCD}} \sim \frac{1}{30} - \frac{1}{100}$$

# Understanding Coincidences

\* Why are the three contributions to  $Q(n \rightarrow pev)$  comparable?

\*  $m_e, m_u, m_d$  are determined by the physics of the boundary comparable?

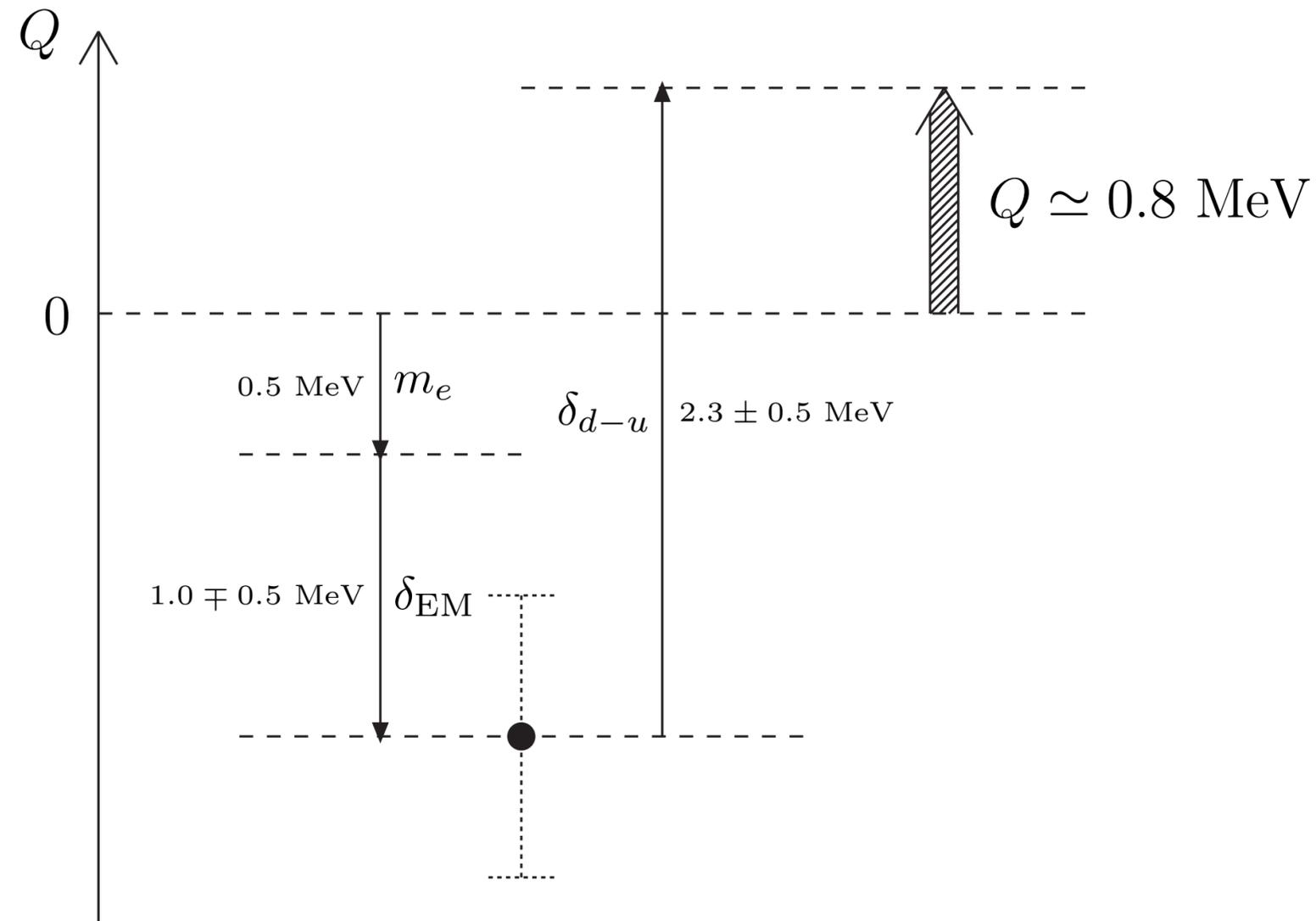


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\* Simple distributions give



$$m_e \simeq \delta_{EM}$$



$$m_{u,d} \simeq \frac{B}{N}, B_D$$